



Statistical downscaling of multivariate wave climate using a **weather type** approach

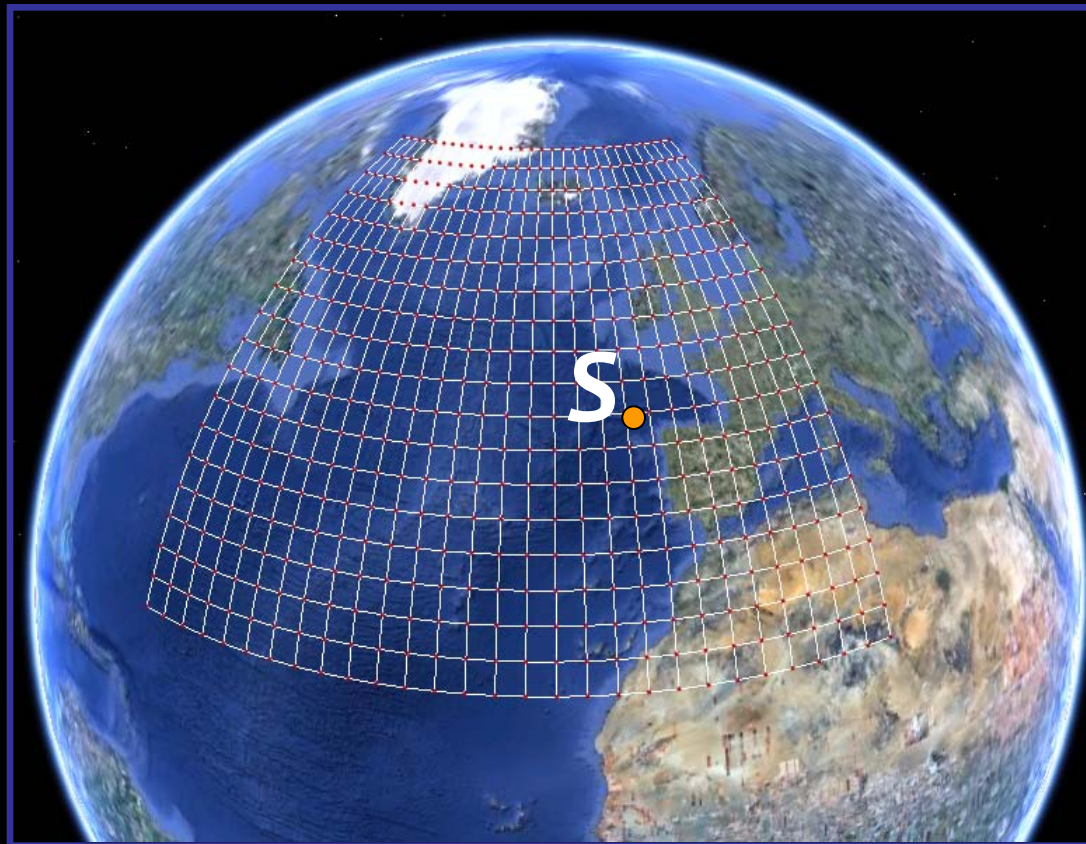
Melisa Menendez, Fernando J. Mendez, Cristina Izaguirre, Paula Camus, Antonio Espejo, Veronica Canovas, Roberto Minguez, Iñigo J. Losada, Raul Medina

mendezf@unican.es

Environmental Hydraulics Institute, Universidad de Cantabria, SPAIN

❖ Objective #1

Predict multivariate wave climate (Y) at a particular location S as a function of synoptic atmospheric circulation (X)



❖ Objective #1

**ATMOSPHERIC
CIRCULATION**
(predictor X: SLP)



**MULTIVARIATE
WAVE CLIMATE**
(predictand Y, H, T, Dir)

Regional atmospheric climatology (X)



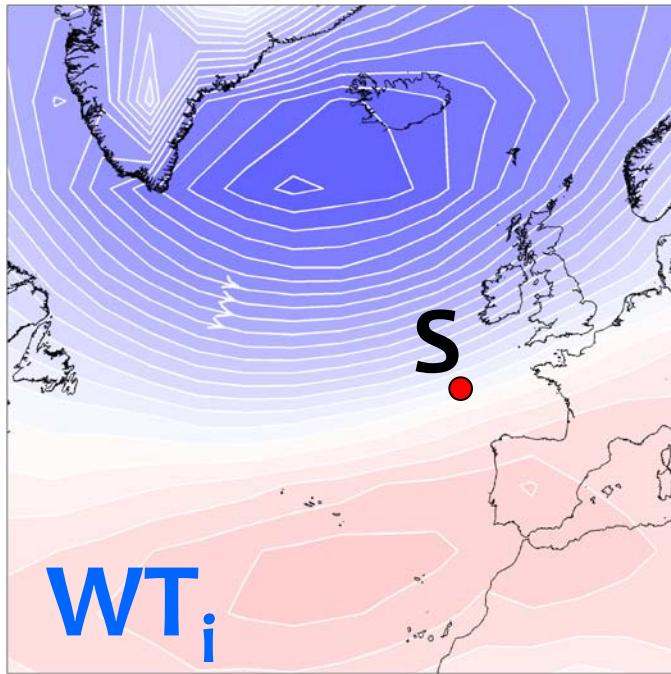
Local wave climatology (Y)



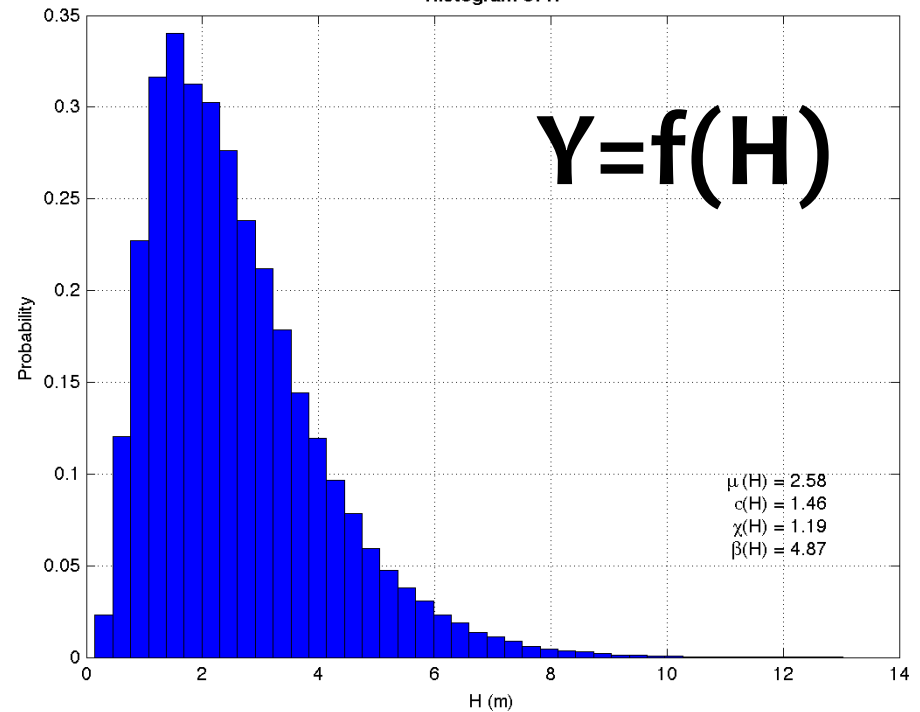
❖ Objective 1

Predict multivariate wave climate (Y) at a particular location S as a function of Synoptic Atmospheric Circulation patterns (X)

Situación sinoptica celda 100



Histogram of H

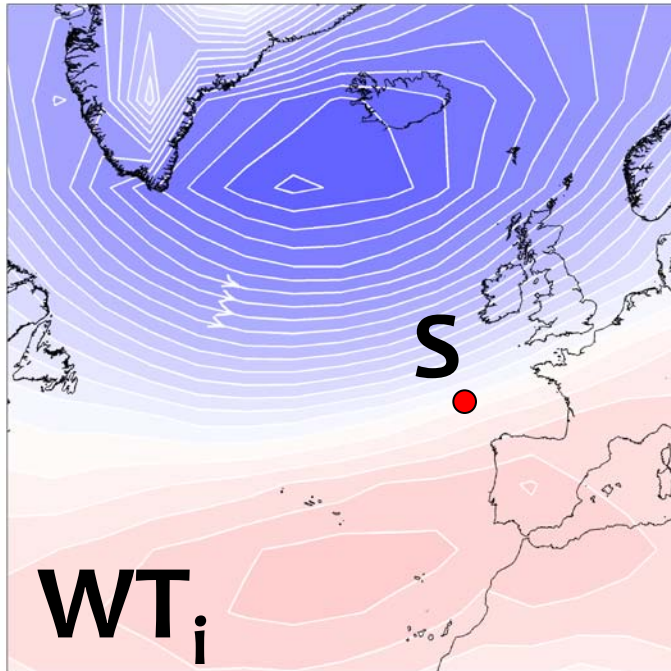


WT= Weather-type

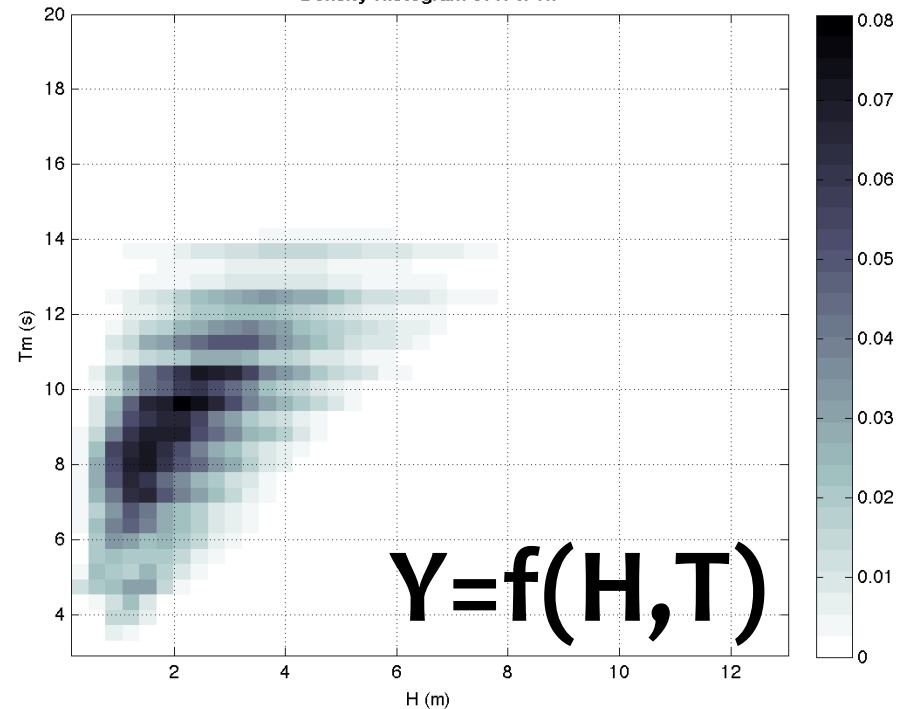
❖ Objective 1

Predict multivariate wave climate (Y) at a particular location S as a function of synoptic atmospheric circulation patterns (X)

Situación sinoptica celda 100

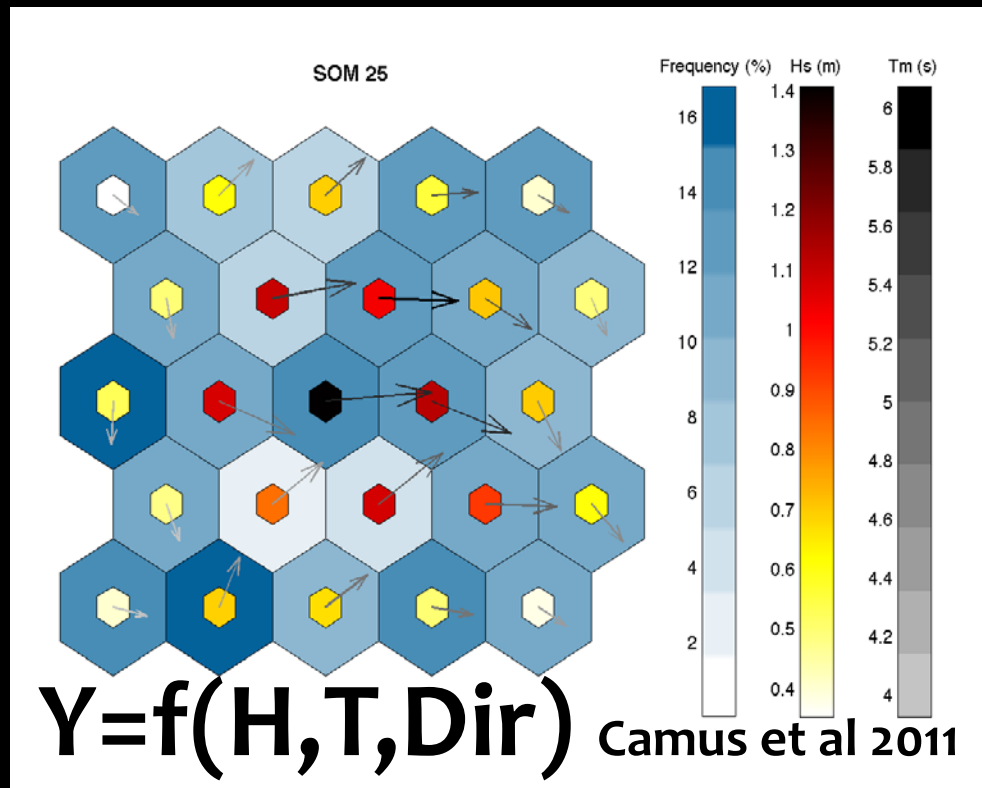
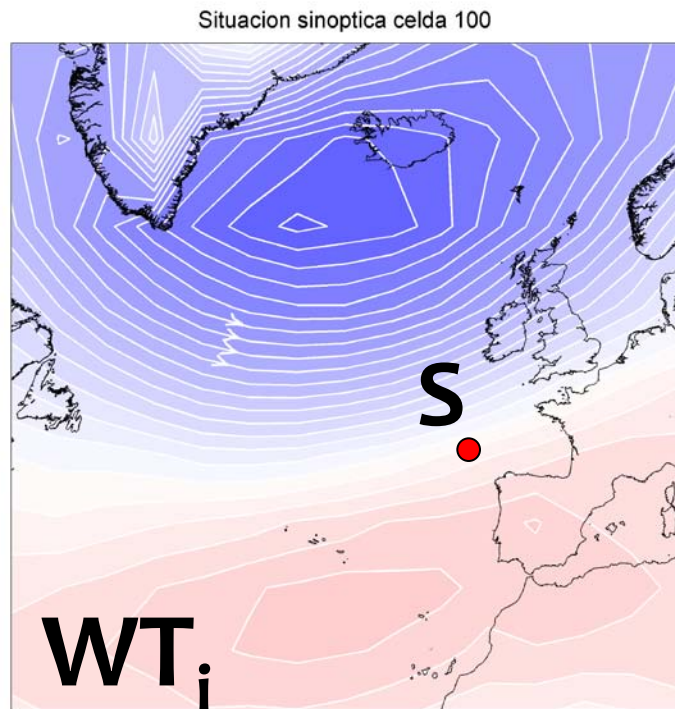


Density Histogram of H & T_m



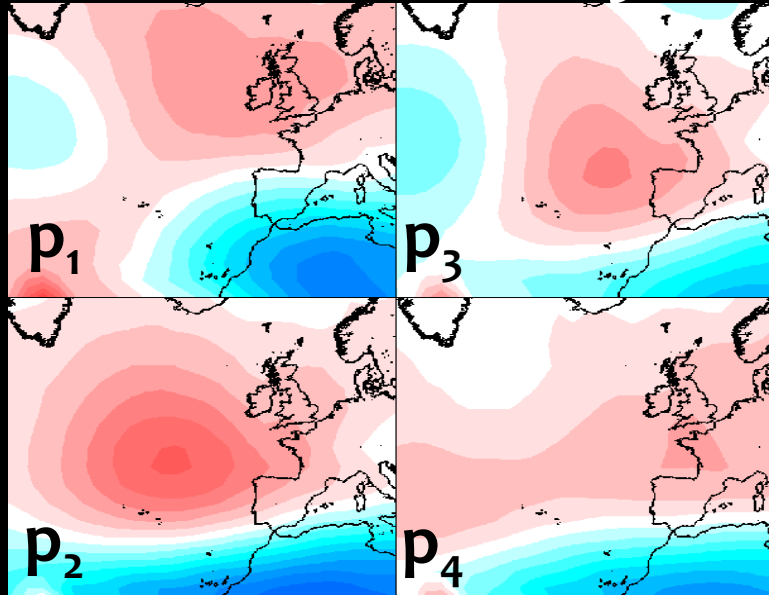
❖ Objective 1

Predict multivariate wave climate (Y) at a particular location S as a function of synoptic atmospheric circulation patterns (X)



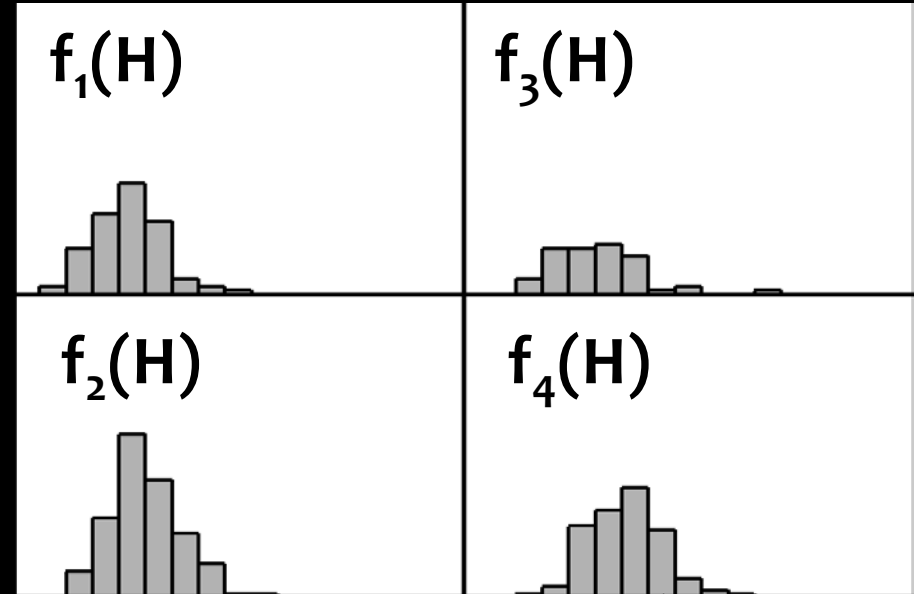
$X = \text{Predictor}$

$$X = (WT_1, WT_2, WT_3, WT_4)$$



$Y = \text{Predictand}$

Y

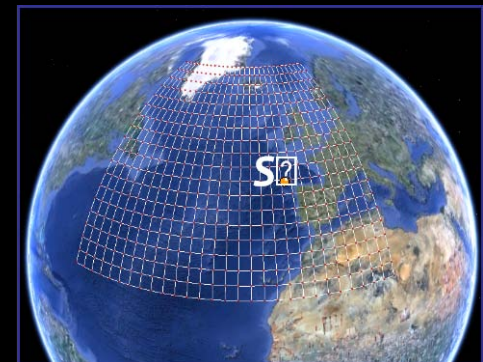


$WT = \text{Weather-type}$

$p_i = \text{occurrence probability of } WT_i$

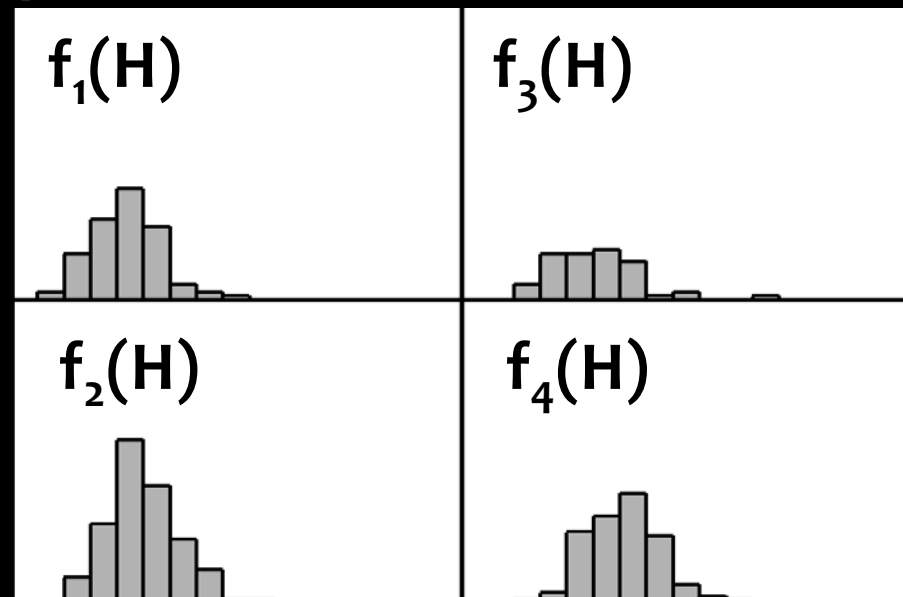
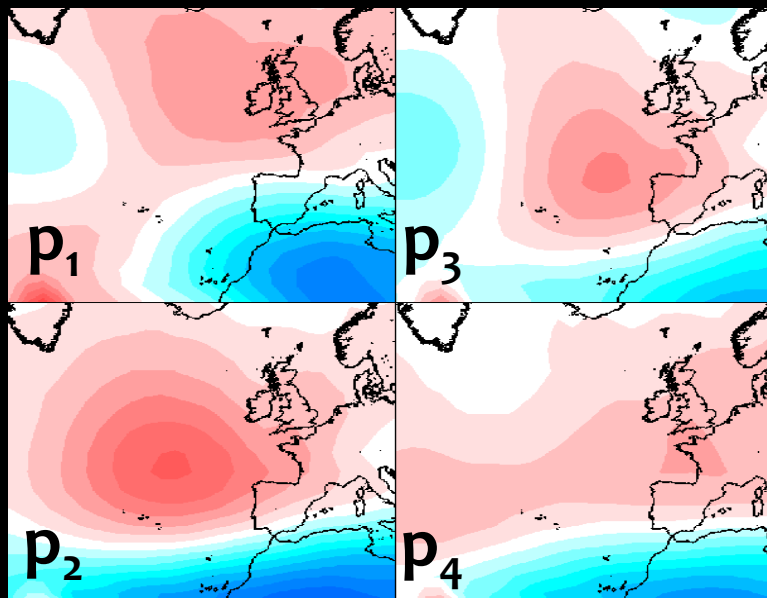
Regression model / Stat. Downscaling:

$$Y = g(X)$$



$$X=(WT_1, WT_2, WT_3, WT_4)$$

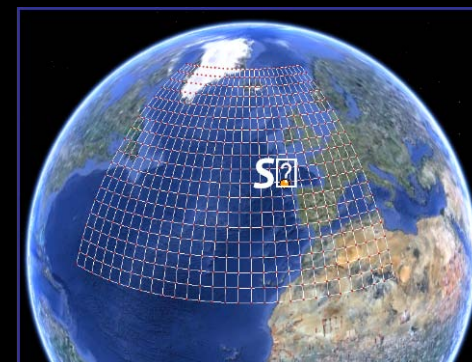
Y



p_i =ocurrence probability of WT_i

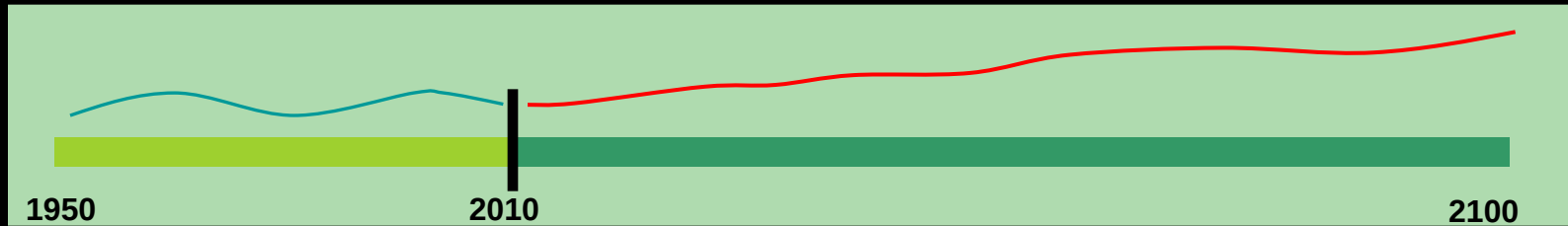
$$p_1+p_2+p_3+p_4=1$$

$$f_s(H)=p_1f_1(H)+p_2f_2(H)+p_3f_3(H)+p_4f_4(H)$$



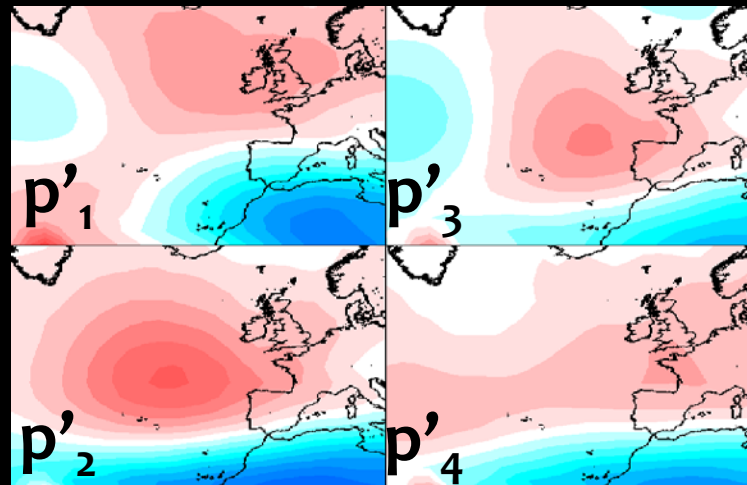
❖ Objective #2

Project multivariate wave climate (Y) at a particular location S for a given GCM in a given time slice (X')



X' =new predictor

$$Y = g(X')$$



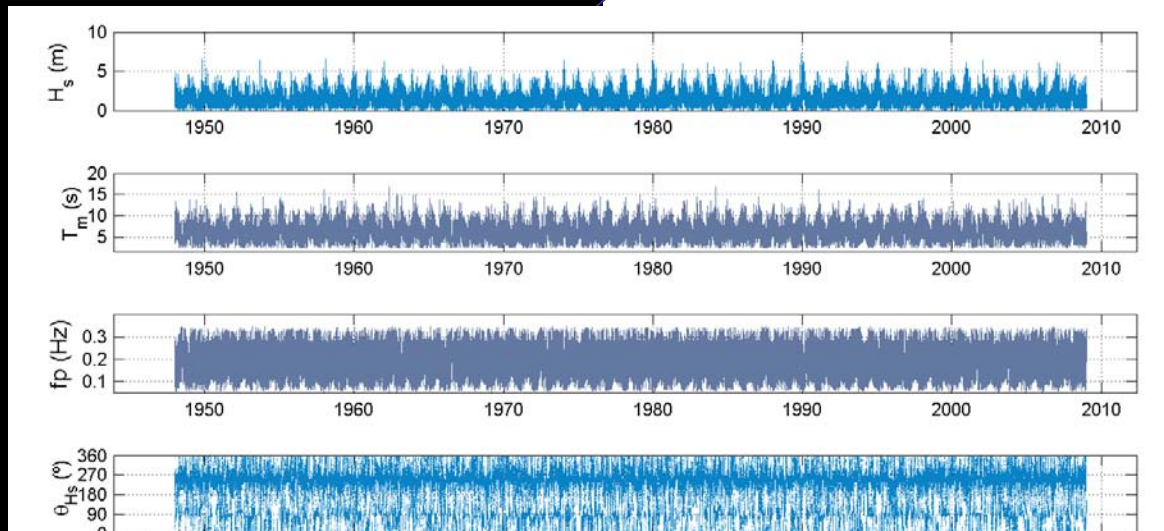
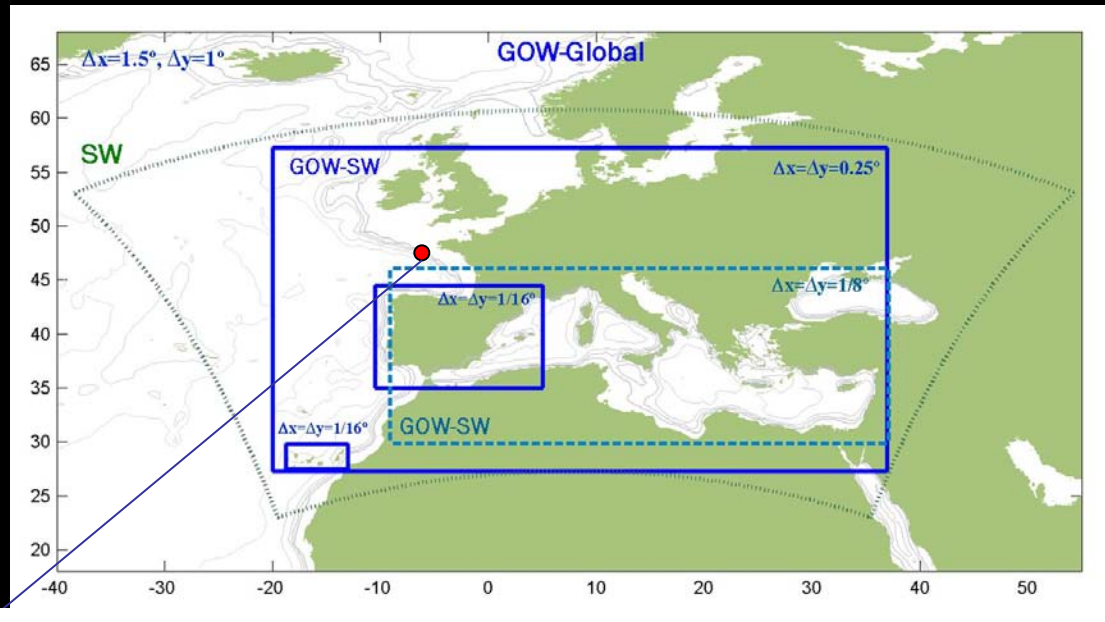
$$p'_1 + p'_2 + p'_3 + p'_4 = 1$$

$$f'_s(H) = p'_1 f_1(H) + p'_2 f_2(H) + p'_3 f_3(H) + p'_4 f_4(H)$$

$$df(H) = f'_s(H) - f_s(H)$$

1. Synthesis of the work
 - 2. Choosing the predictand Y**
 3. Choosing the predictor X
 4. Statistical relationship: $Y=g(X)$
 5. Wave climate projection
-
1. Conclusions

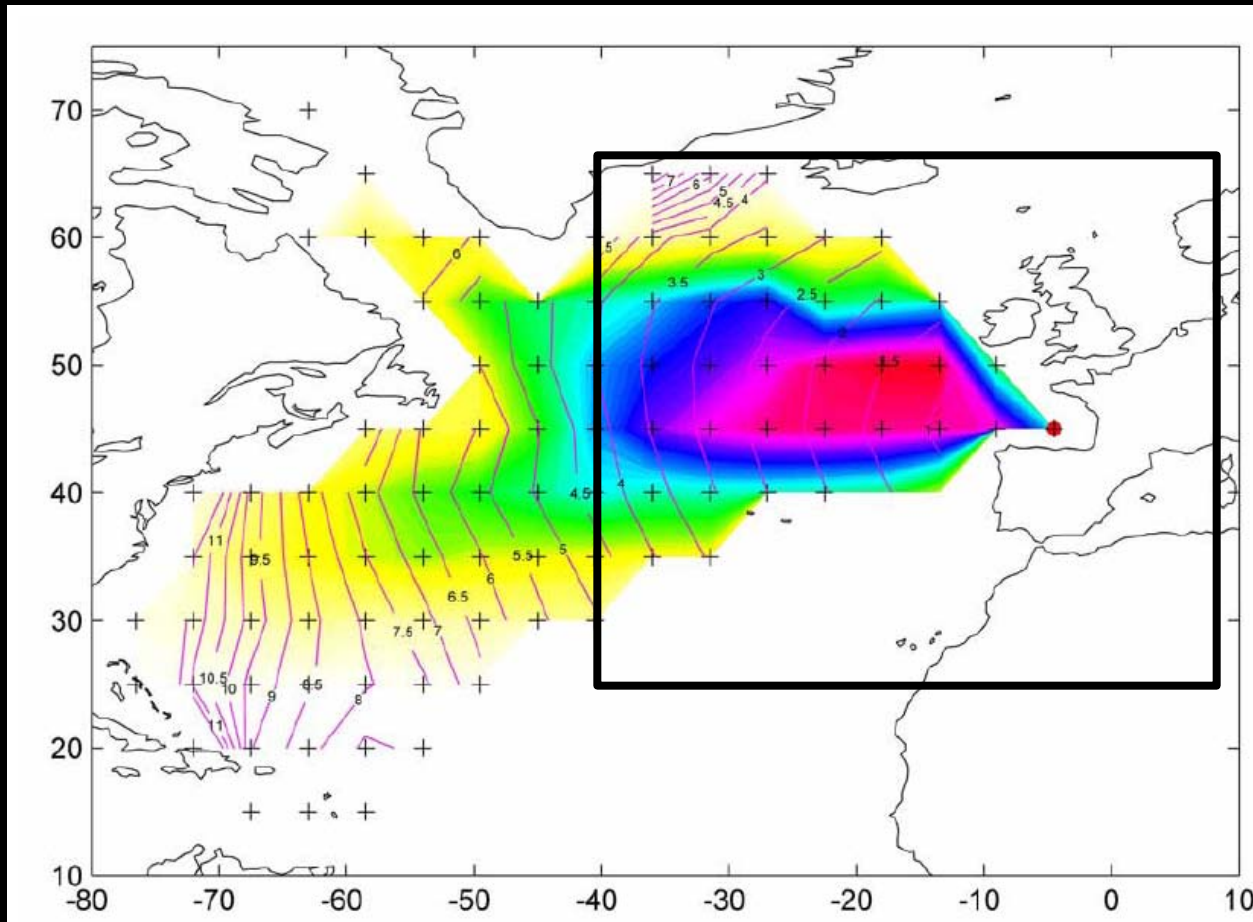
❖ GOW Wave reanalysis (IH Cantabria)



1. Synthesis of the work
 2. Choosing the predictand Y
 - 3. Choosing the predictor X**
 4. Statistical relationship: $Y=g(X)$
 5. Wave climate projection
-
1. Conclusions

❖ The predictor. Synoptic Atmospheric Circulation patterns

*Data: Sea Level Pressure fields (SLP)
(from NCEP-NCAR Atmospheric reanalysis)*



SELECTION OF AREA

{ Basin size
Fetch

TEMPORAL SCALE

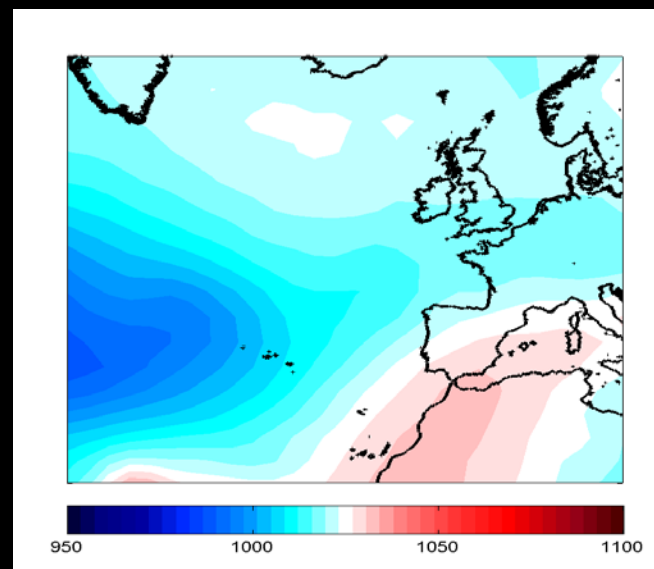
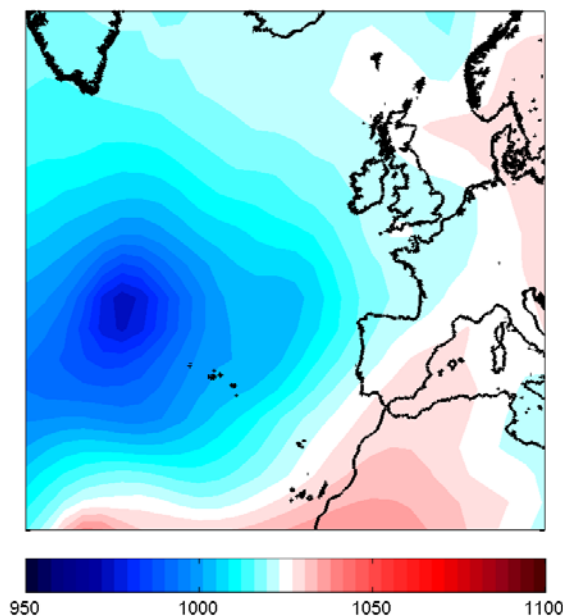
{ Independence of cyclones
Propagation time

→ SLP_{3days}

❖ The predictor. Synoptic Atmospheric Circulation patterns

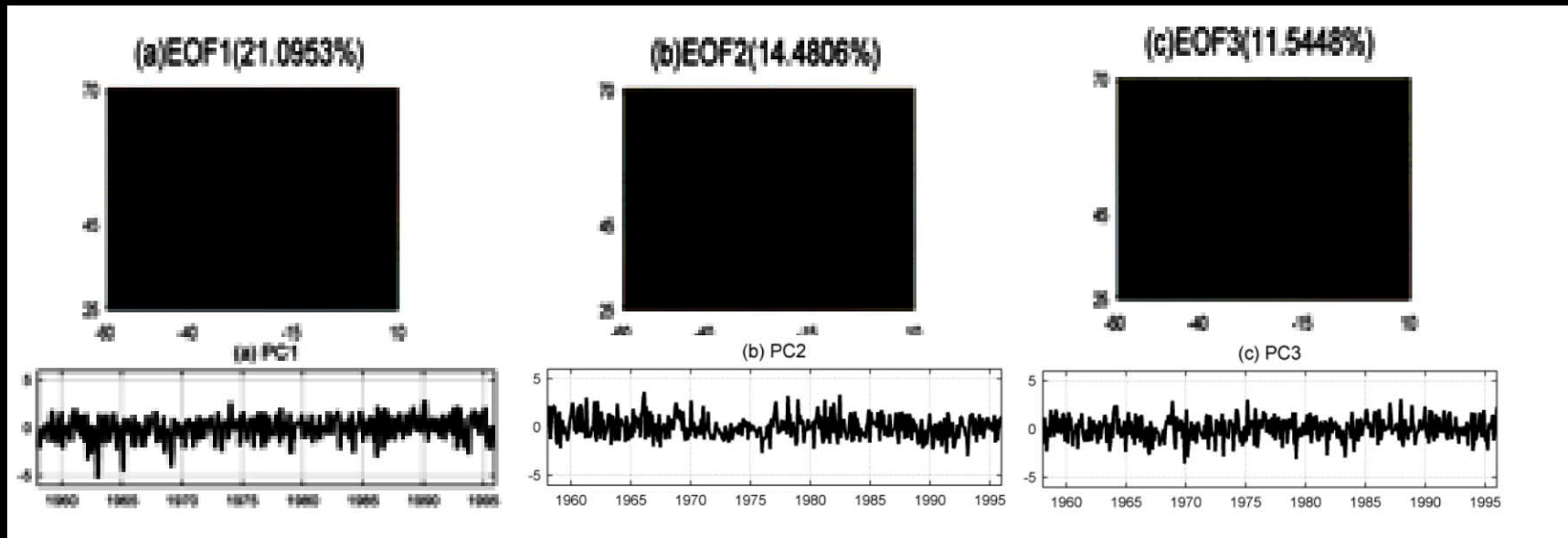
Data: Sea Level Pressure fields (SLP)
(from NCEP-NCAR Atmospheric reanalysis)

Averaged 3-daily SLP fields



From: 2009-Jan-1st 00:00 to 2009-Jan-3rd 18:00 p.m
6 hourly SLP fields

Principal components analysis



$$\{PC_1, PC_2, ..PC_M\}$$

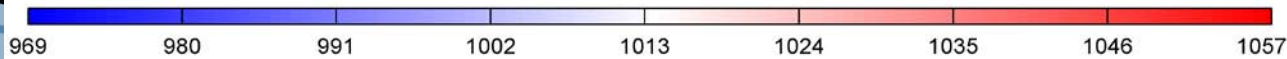
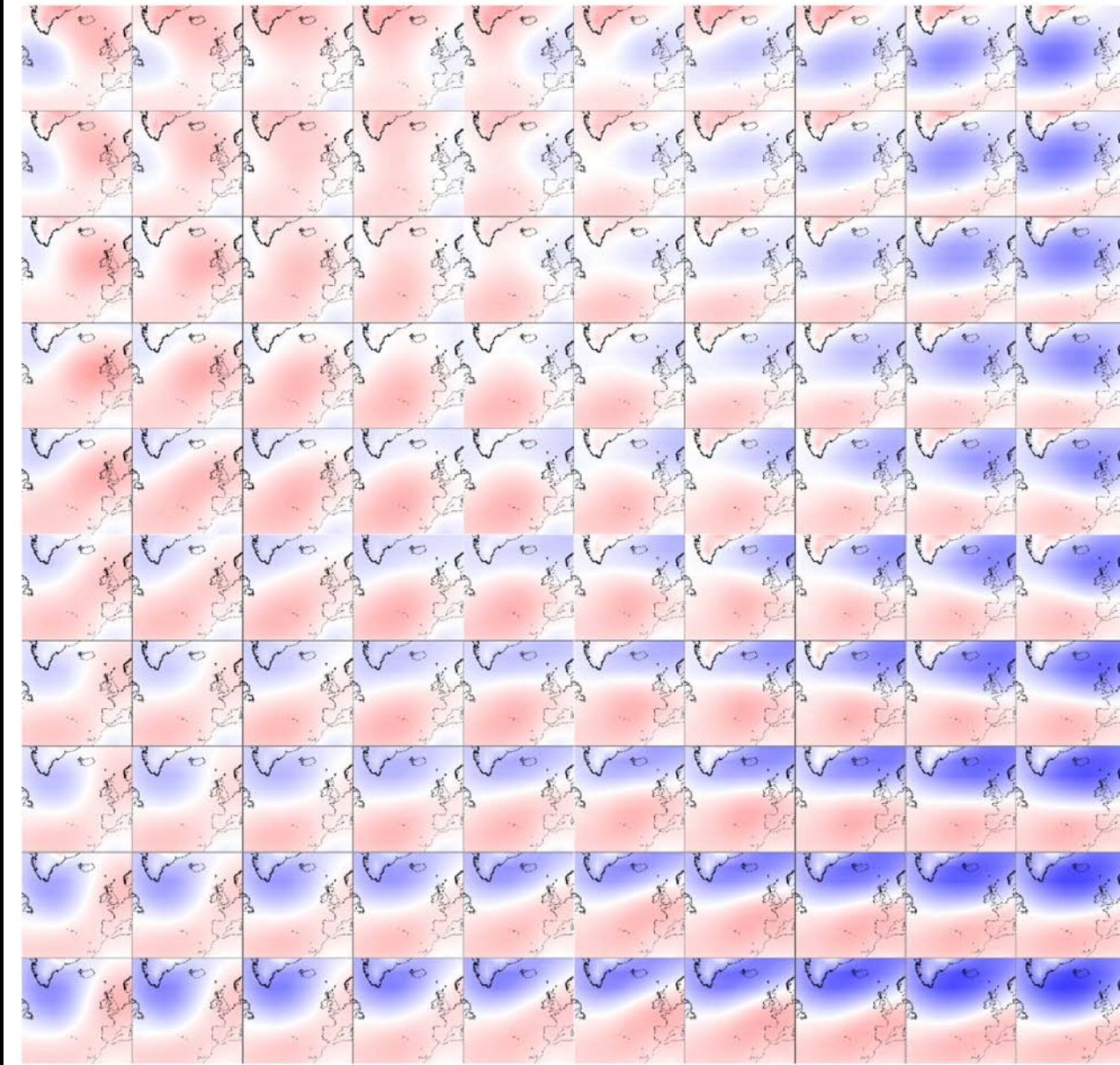
Data mining algorithms

SELF ORGANIZING MAP (SOM)

❖ The predictor. Synoptic Atmospheric Circulation patterns

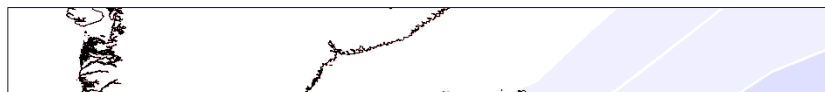
$M=100$ (10x10)

SELF
ORGANIZING
MAPS (SOM)

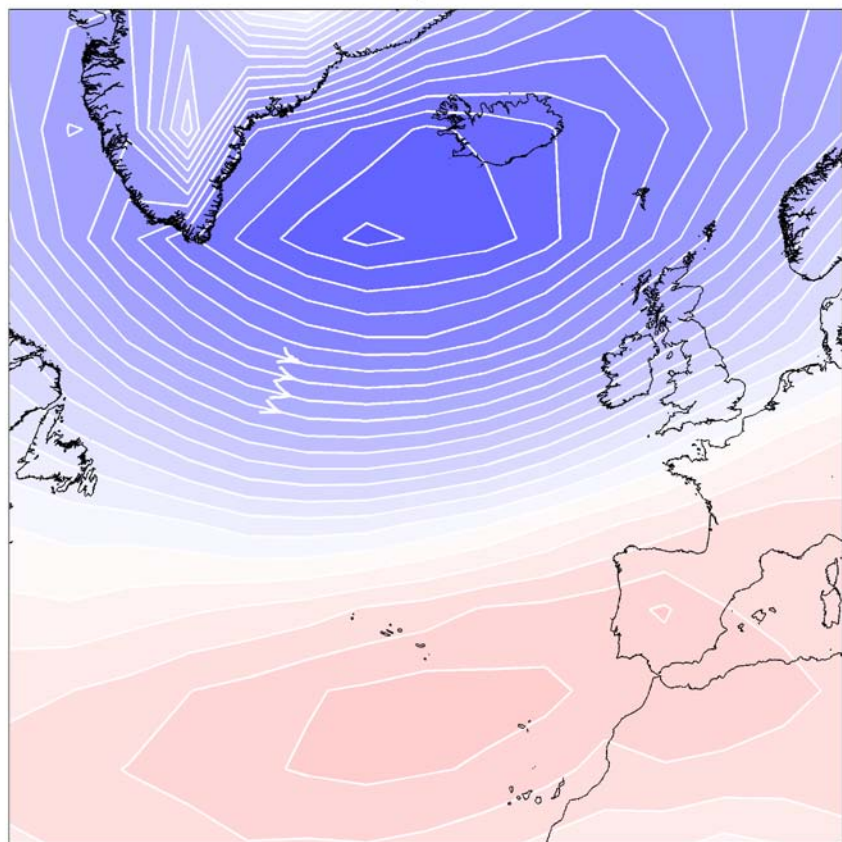


❖ The predictor. Synoptic Atmospheric Circulation patterns

Situacion sinoptica celda 54



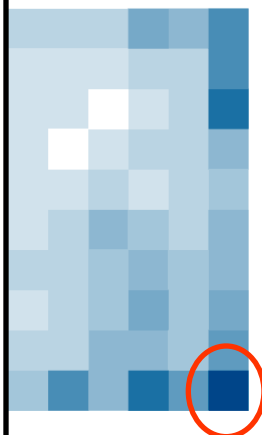
Situacion sinoptica celda 100



Occurrence probability, p_i

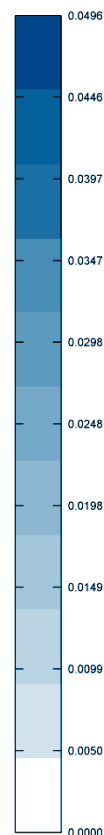
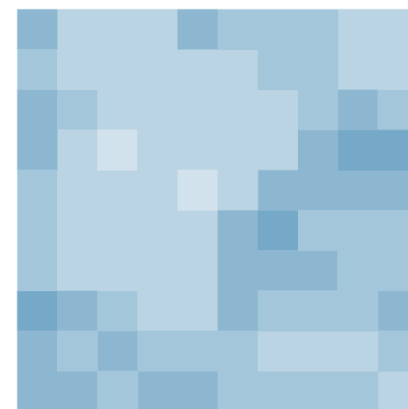
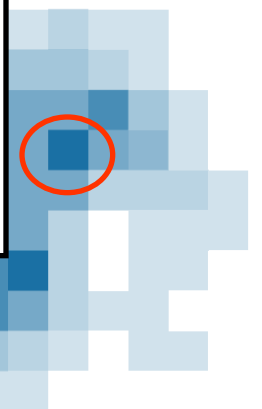
DEF

MAM



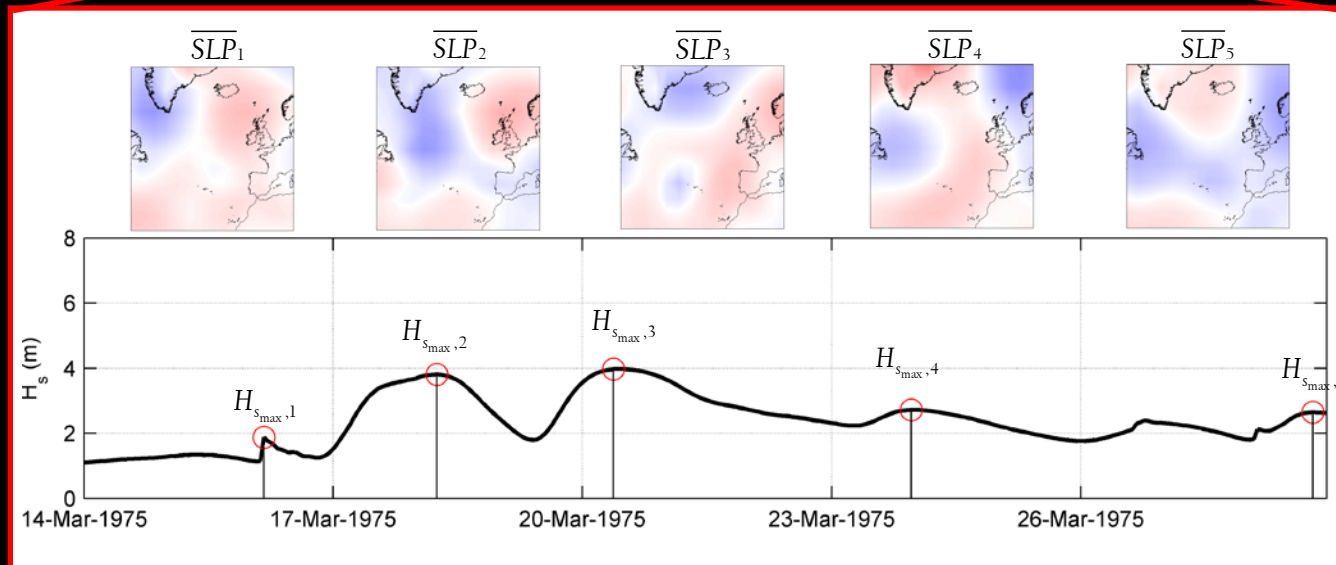
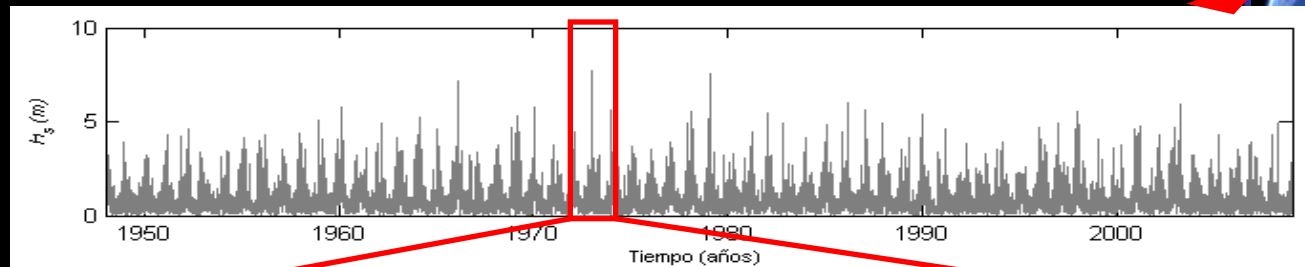
JJA

SON



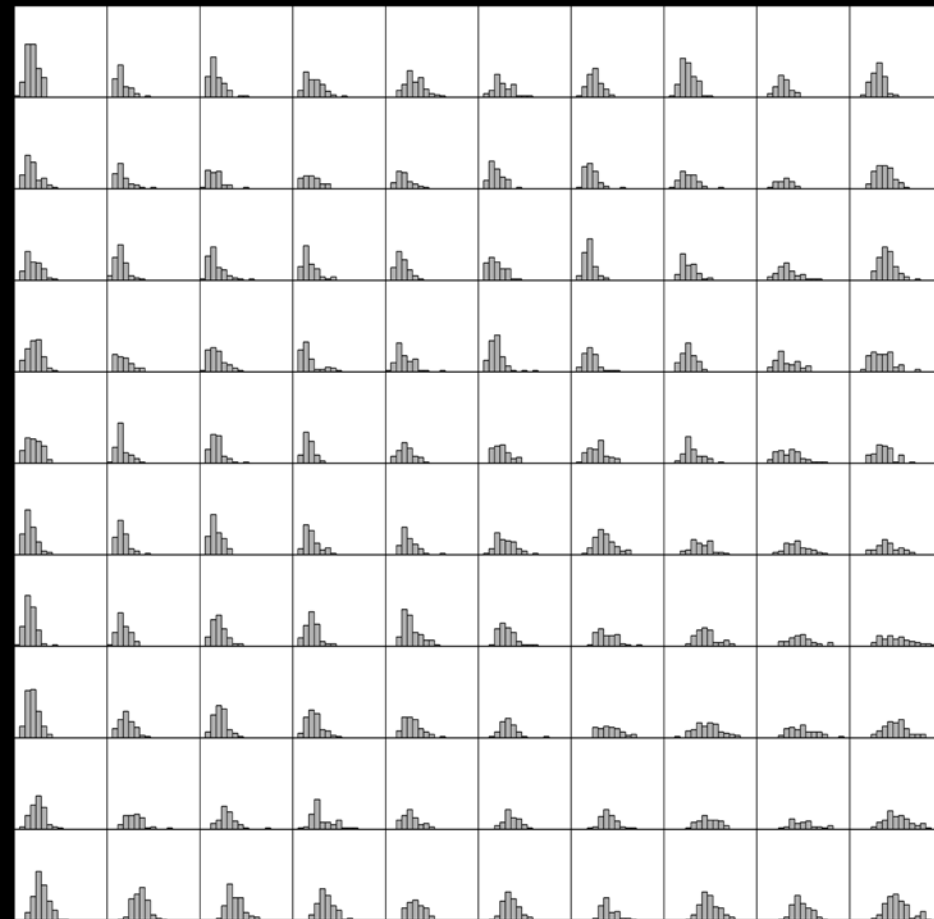
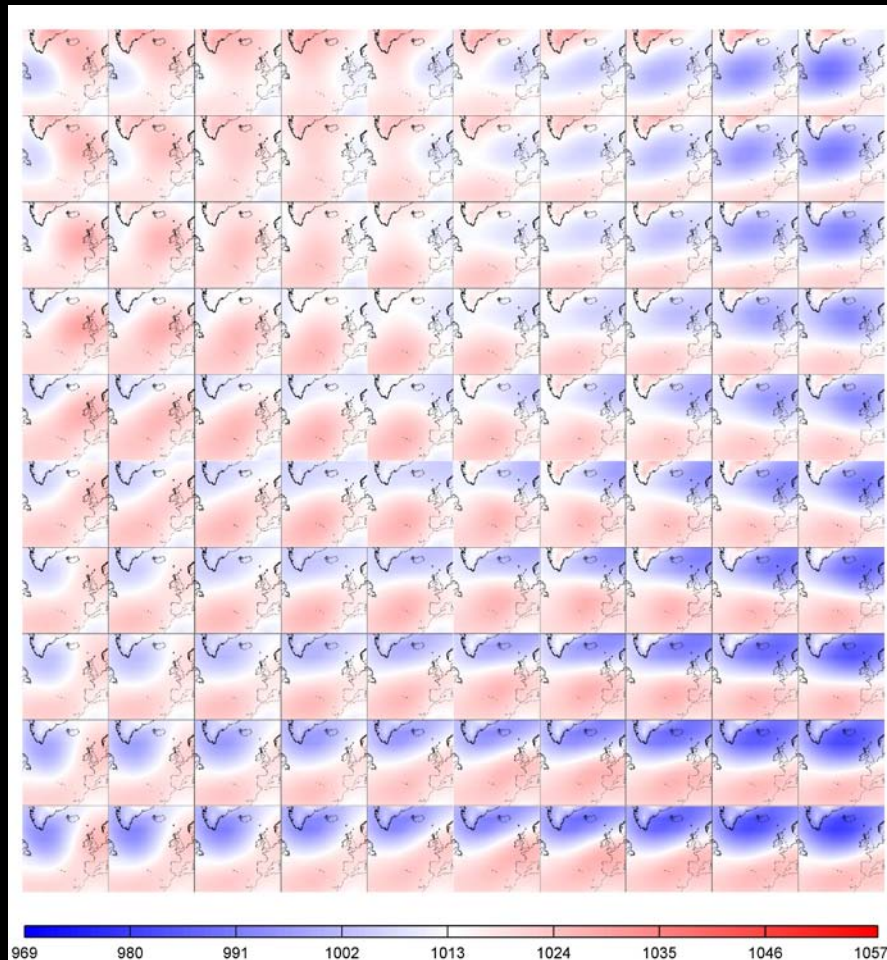
1. Synthesis of the work
 2. Choosing the predictand Y
 3. Choosing the predictor X
 - 4. Statistical relationship: $Y = g(X)$**
 5. Wave climate projection
1. Conclusions

❖ Selection of (H,T,Dir). The predictand.

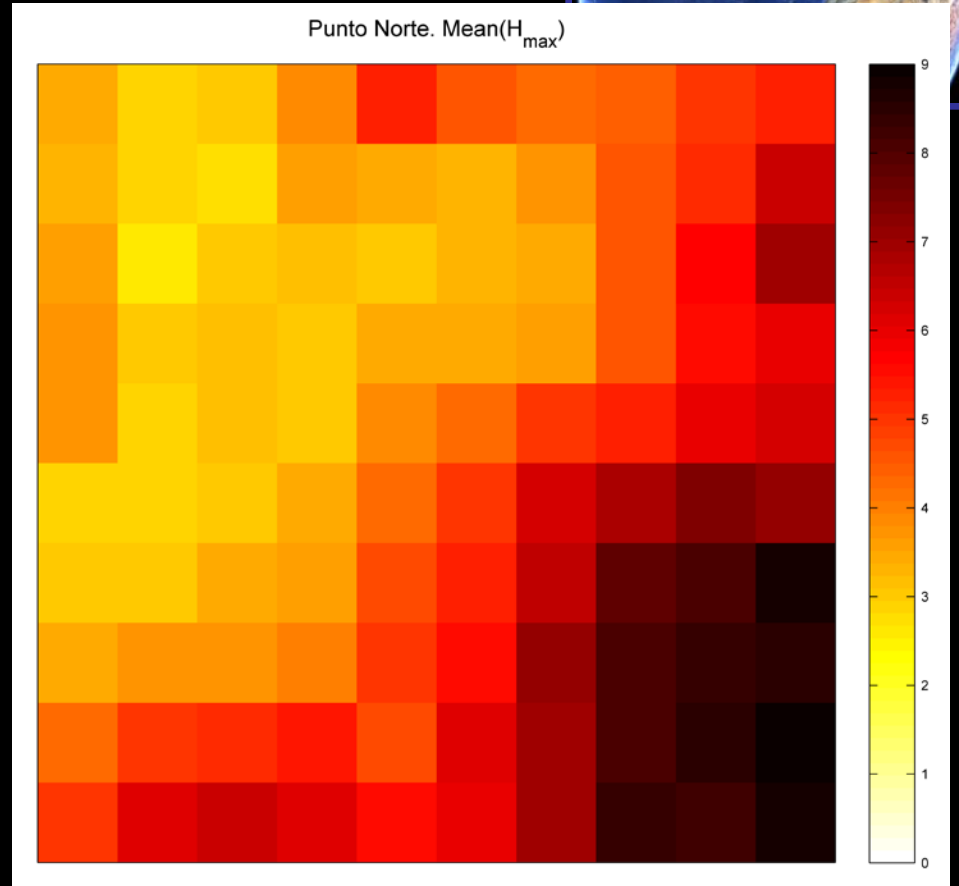
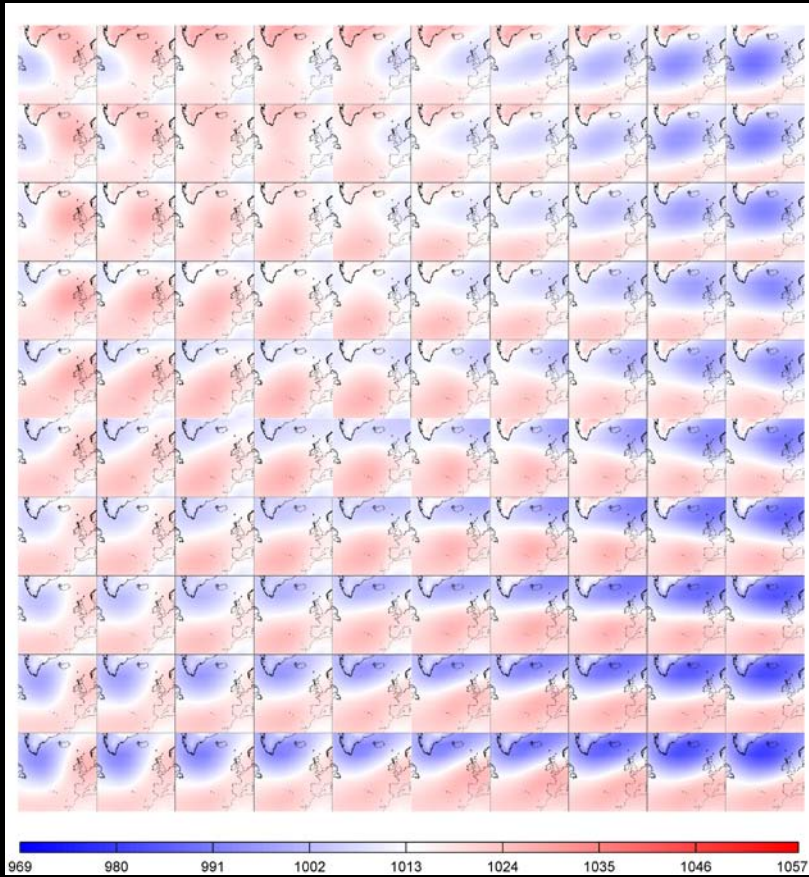
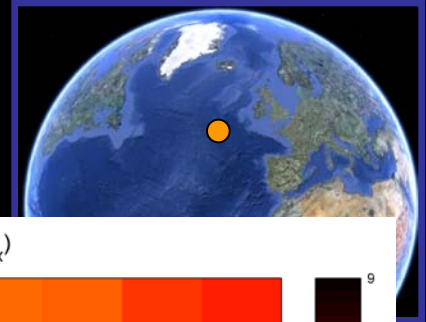


3-day
 H_s

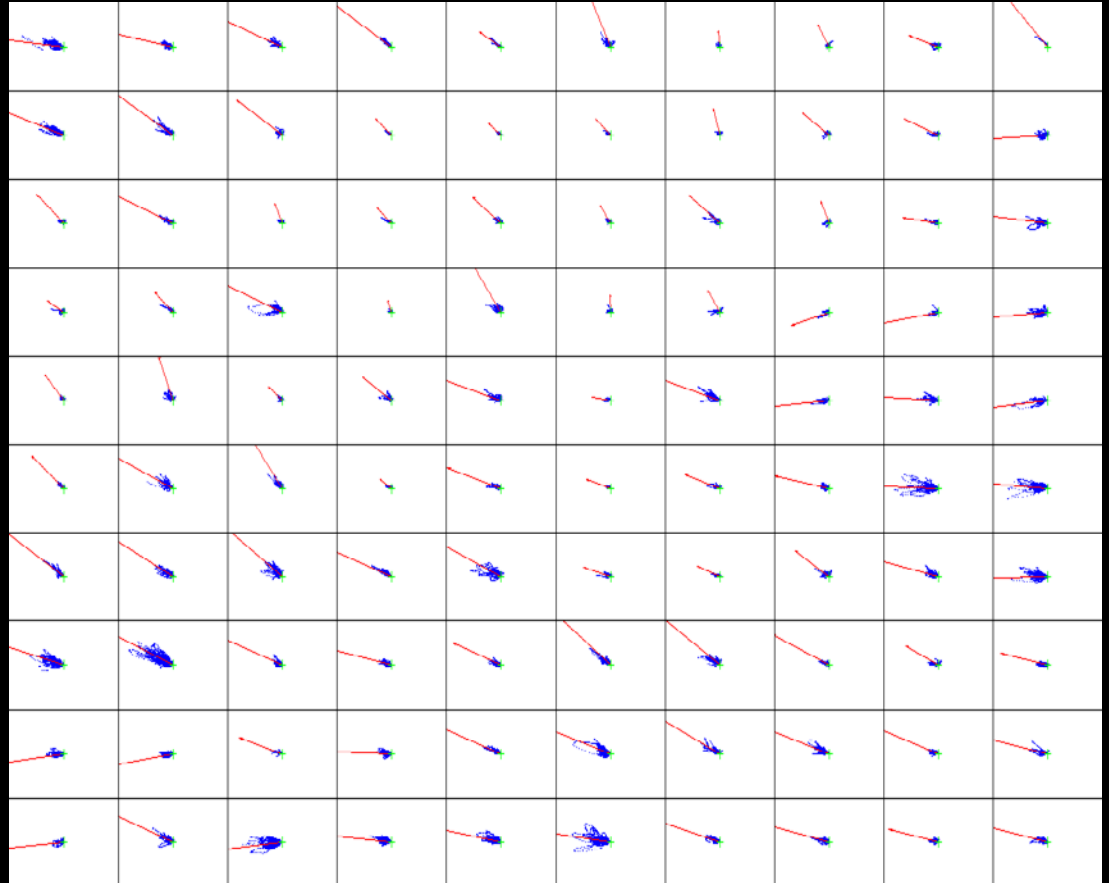
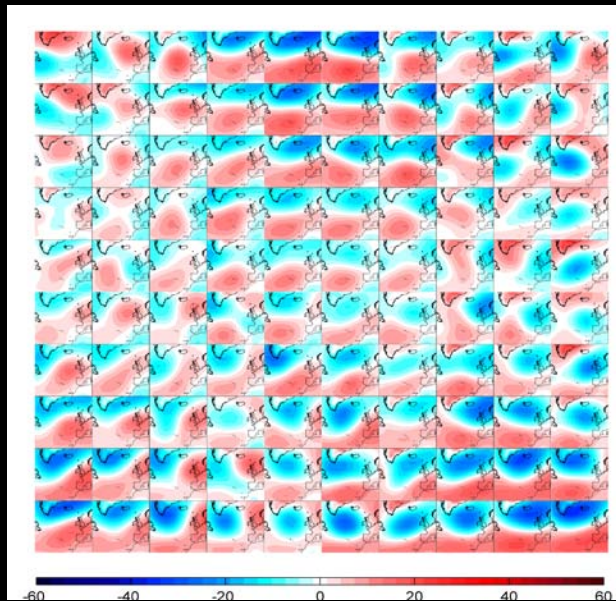
❖ Selection of (H,T,Dir). The predictand.



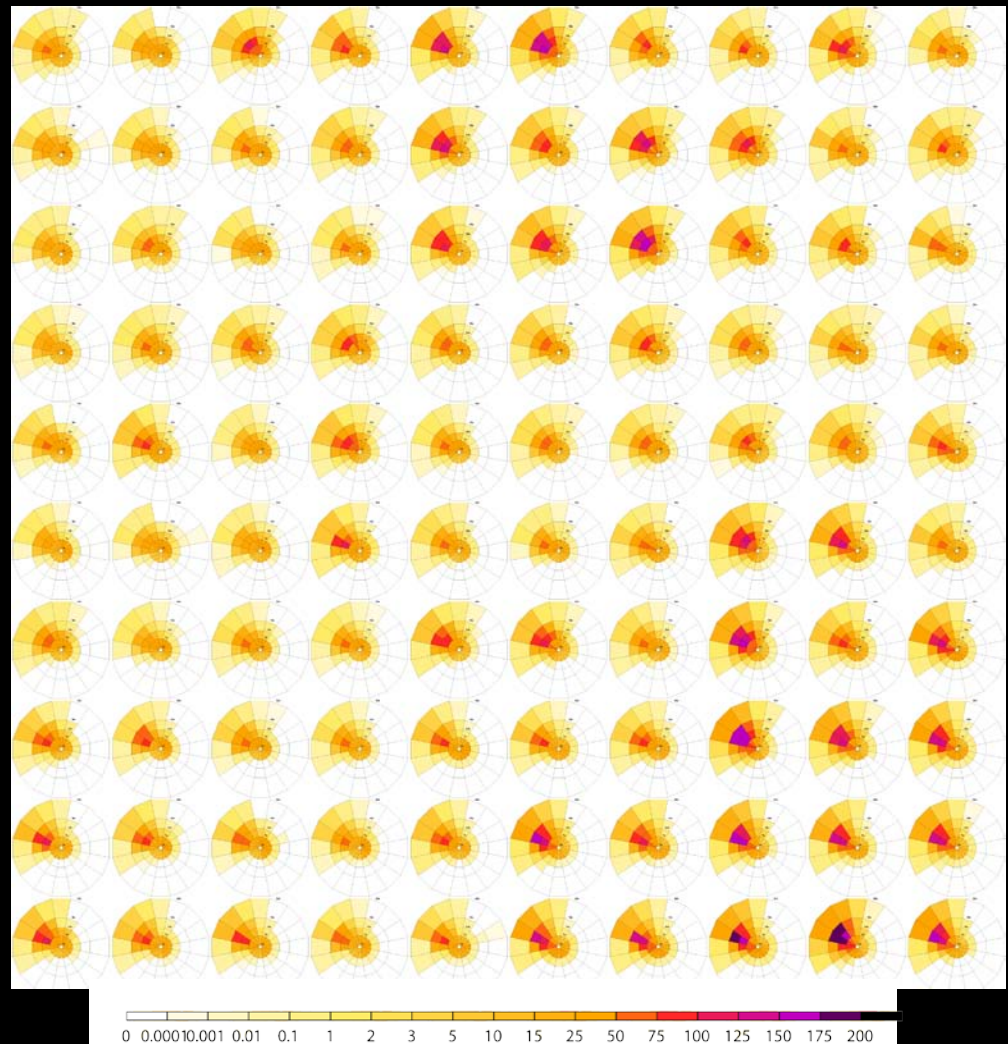
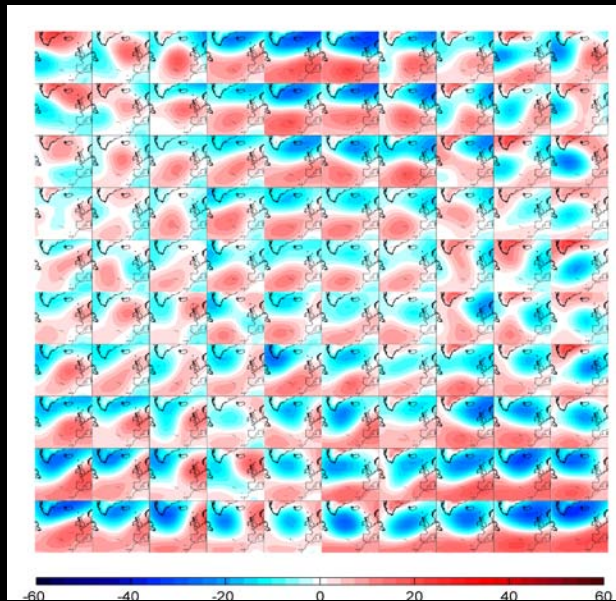
❖ Selection of (H,T,Dir). The predictand.



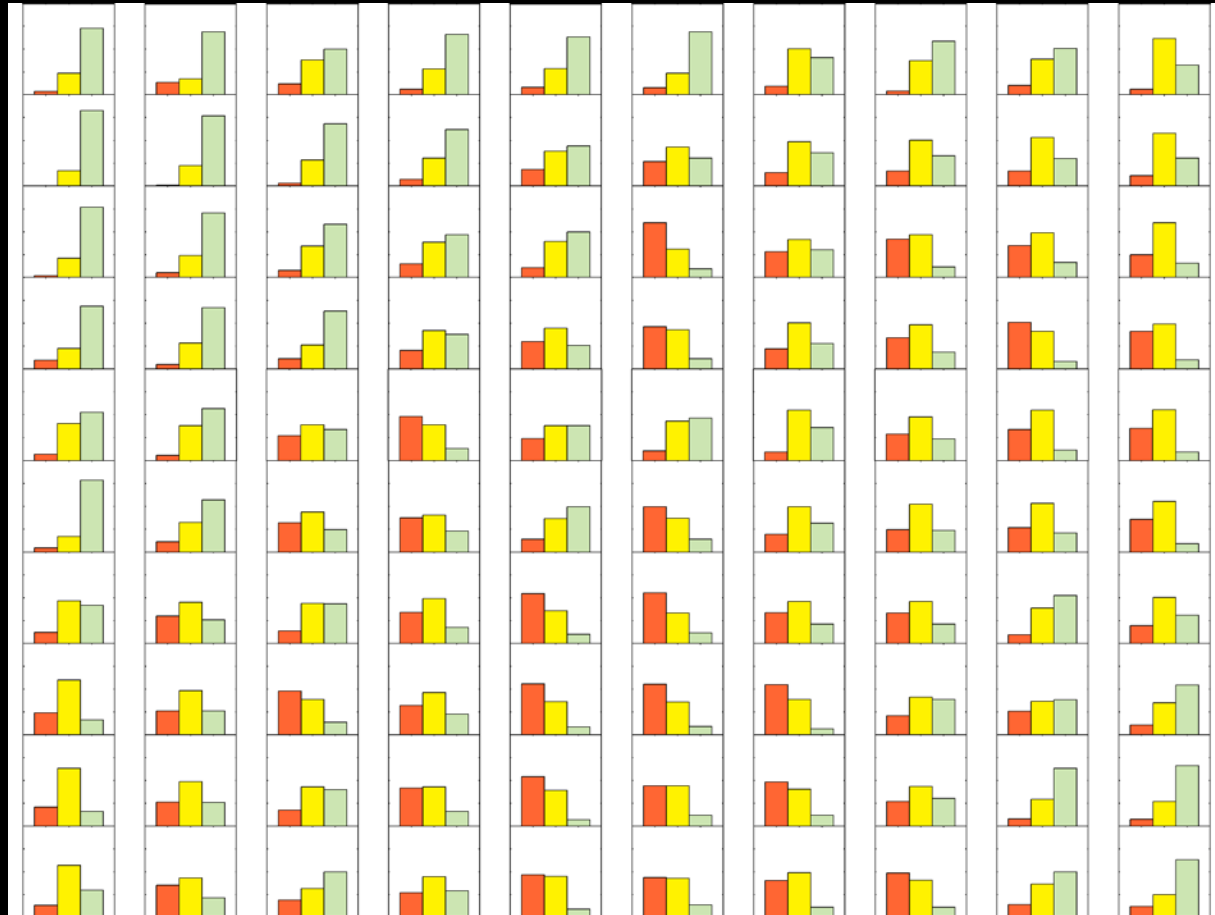
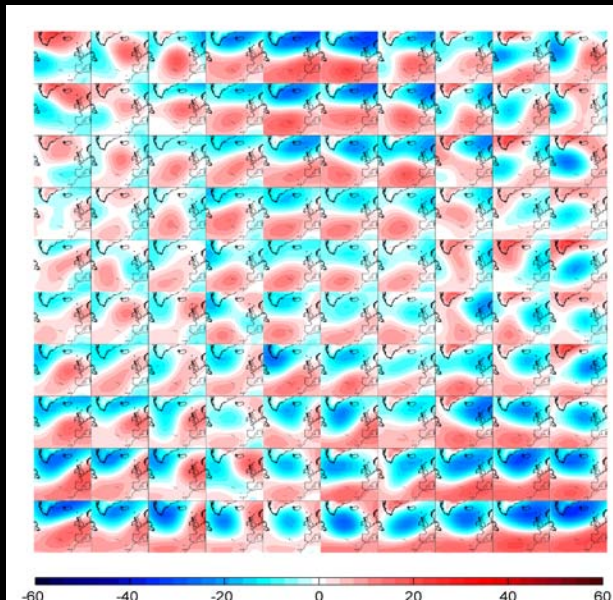
❖ 3-days directional energy flux (F_x , F_y)



❖ 3-days wave spectra



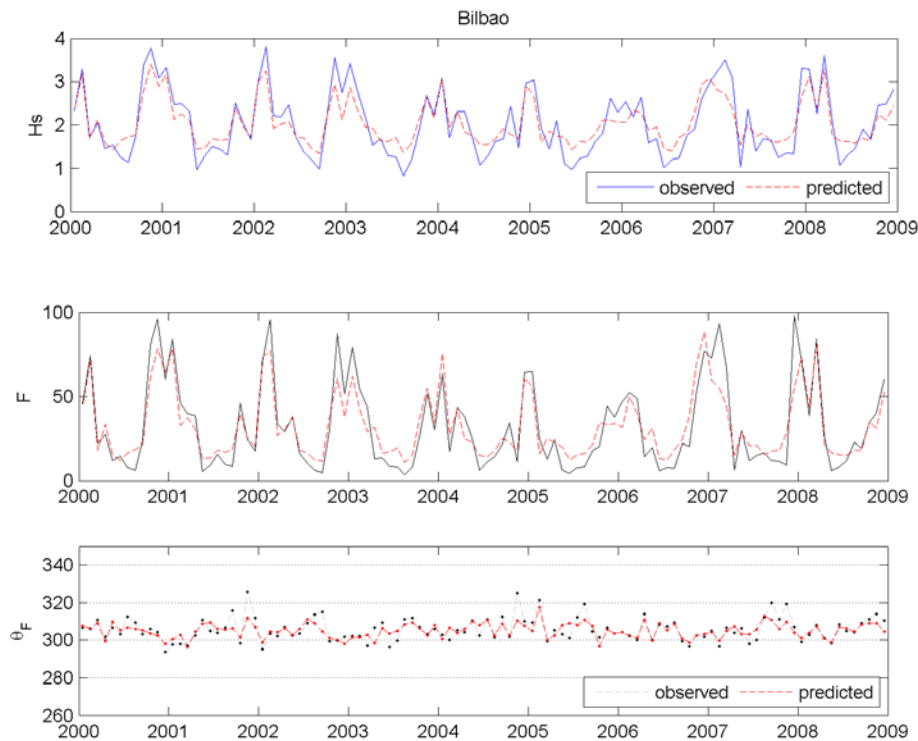
❖ Surfing conditions at Mundaka



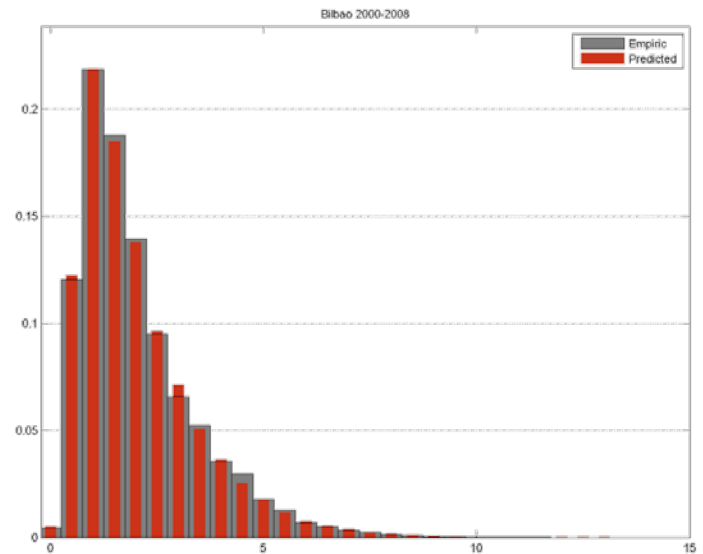
❖ Training (1948-1999), Validation (2000-2009)



Validation of monthly means



Validation of mean pdf of H



1. Synthesis of the work
2. Choosing the predictand Y
3. Choosing the predictor X
4. Statistical relationship: $Y=g(X)$

5. Wave climate Projection

1. Conclusions

❖ GCM models analyzed (from AR4)

MODEL	Centre	Country	Runs
1 BCM2	Bjerknes Centre for Climate Research	Norway	1
2 CCSM3	National Center for Atmospheric Research	USA	4
3 CGCM3.1(T47)	Canadian Centre for Climate Modelling and Analysis	Canada	3
4 CGCM3.1(T63)	Canadian Centre for Climate Modelling and Analysis	Canada	1
5 CNCM3	Centre National de Recherches Meteorologiques	France	1
6 CNCM33	Centre National de Recherches Meteorologiques	France	1
7 CSIRO-MK3.0	Commonwealth Scientific and Industrial Research Organisation	Australia	1
8 CSIRO-MK3.5	Commonwealth Scientific and Industrial Research Organisation	Australia	1
9 ECHAM5 MPI-OM	Max-Planck-Institute for Meteorology	Germany	4
10 ECHAM5C MPI-OM	Max-Planck-Institute for Meteorology	Germany	3
11 ECHOG	University of Bonn	Germany	1
12 EGMAM	Freie Universitaet Berlin, Institute for Meteorology	Germany	3
13 EGMAM2	Freie Universitaet Berlin, Institute for Meteorology	Germany	1
14 FGOALS-g1.0	Institute of Atmospheric Physics	China	3
15 GFDL-CM2.0	Geophysical Fluid Dynamics Laboratory	USA	1
16 GISS-AOM	Goddard Institute for Space Studies	USA	1
17 GISS-ER	Goddard Institute for Space Studies	USA	1
18 HADCM3C	United Kingdom Met Office	United Kingdom	1
19 HADGEM2	United Kingdom Met Office	United Kingdom	1
20 INGV-SXG	Istituto Nazionale di Geofisica e Vulcanologia	Italy	1
21 INM-CM3.0	Institute of Numerical Mathematics	Russia	1
22 IPSL-CM4	Institut Pierre Simon Laplace	France	1
23 MIROC3.2 (HIRES)	Center for Climate System Research, NIES y RCGC.	Japan	1
24 MRI-CGCM2.3.2	Meteorological Research Institute	Japan	1
25 PCM	National Center for Atmospheric Research	USA	4

25 Models
42 runs

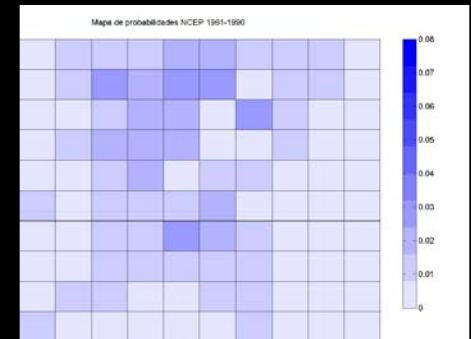


**Ensemble
(multi-model)**

Are the GCMs able to forecast the climate of the past?

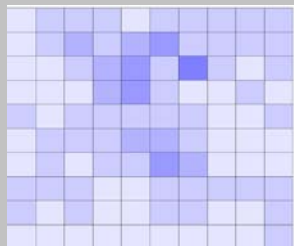
(reference pattern)

Reanalysis (1961-1990)



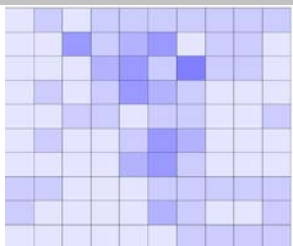
ECHAM5

run1



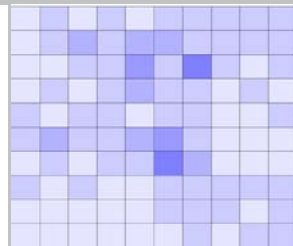
RE	0,33
SI	0,44

run2



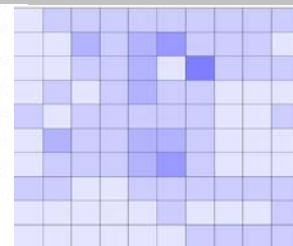
RE	0,35
SI	0,45

run3



RE	0,37
SI	0,47

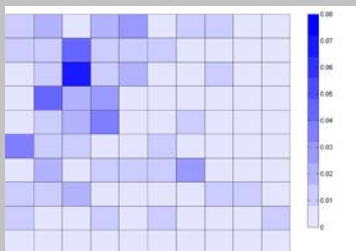
run4



RE	0,35
SI	0,45

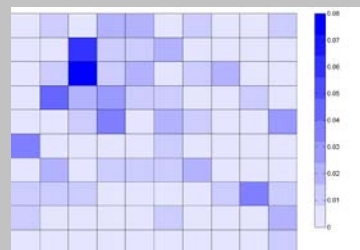
GCMs

BCM2.0



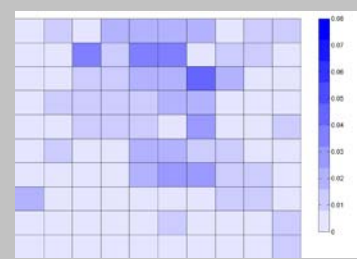
RE	0,67
SI	0,98

CNCM3



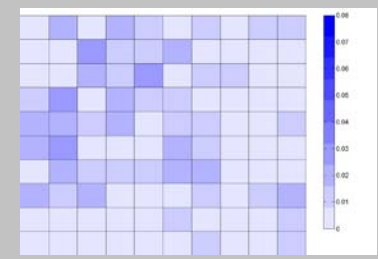
RE	0,85
SI	1,23

CSIROMK3.5



RE	0,50
SI	0,61

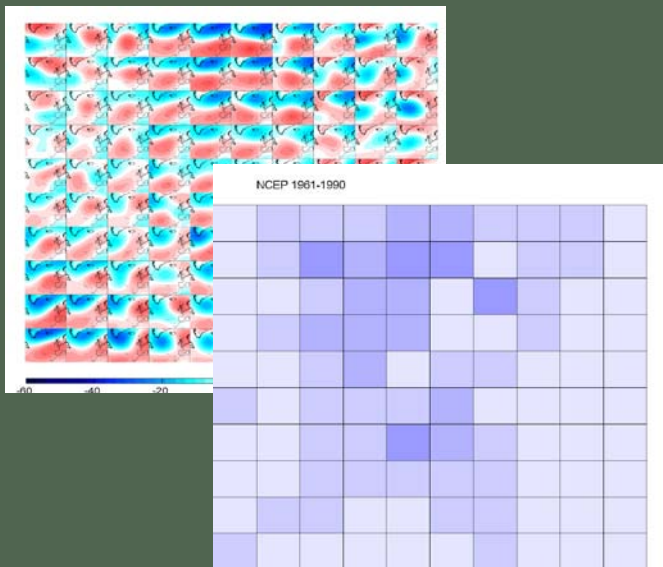
GFDLCM



RE	0,58
SI	0,70

❖ Projection from GCM

Reanalysis/20C3M



Probability of occurrence

Predictand = X

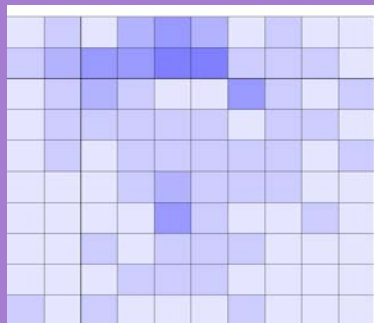
For a particular GCM..

$$Y' = g(X')$$

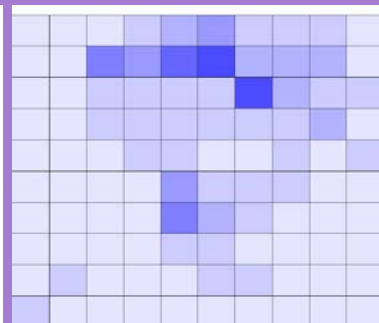
For a particular scenario ...

Similar climate system (WT),

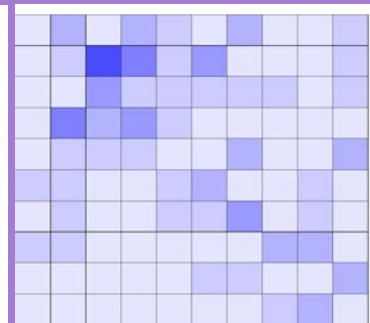
New Probability of occurrence !!



2010-2040



2040-2070

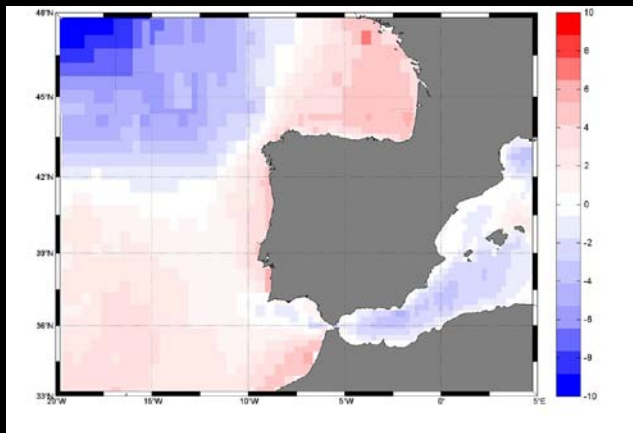


2070-2100

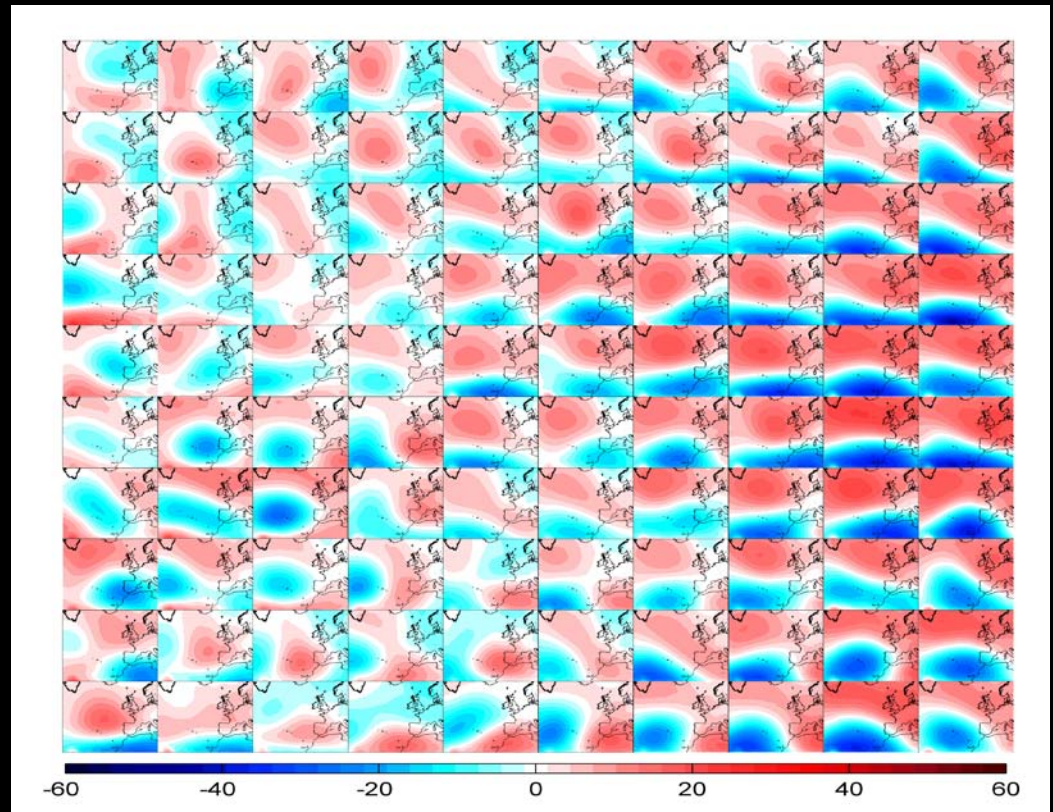
Predictand = X'

1. Synthesis of the work
2. Choosing the predictand Y
3. Choosing the predictor X
4. Statistical relationship: $Y=g(X)$
5. Wave climate Projection

1. Conclusions



changes in downscaled wave climate



- Statistical Downscaling of Multivariate Wave Climate
- Based on Weather Types approach + Data Mining Techniques
- Easy visualization of WT's and associated wave climate
- The projection is based on the occurrence probability of each weather type
- Low computational cost for study of ocean wave climate projections.

Statistical downscaling of multivariate wave climate using a weather type approach

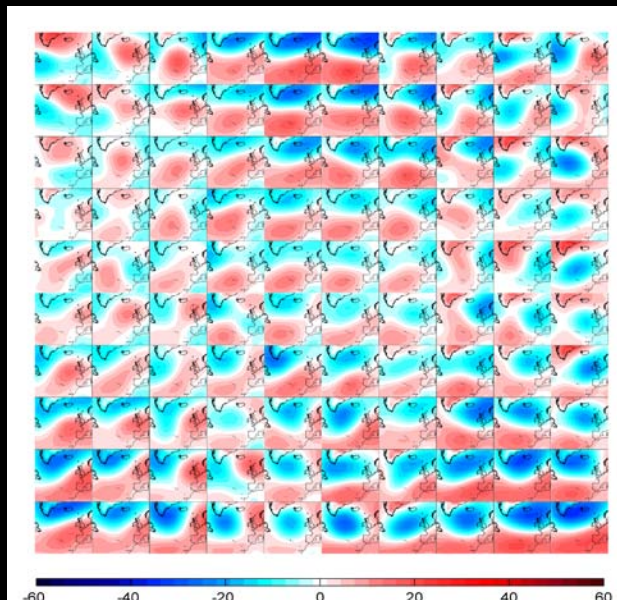
Melisa Menendez, Fernando J. Mendez, Cristina Izaguirre, Paula Camus, Antonio Espejo, Veronica Canovas, Roberto Minguez, Iñigo J. Losada, Raul Medina

mendezf@unican.es

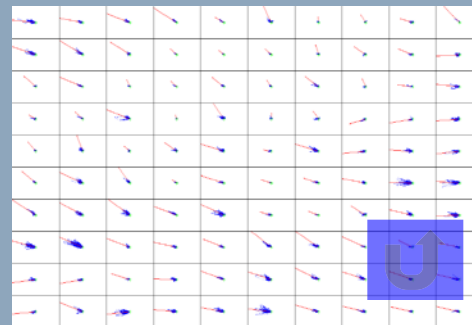
Environmental Hydraulics Institute, Universidad de Cantabria, SPAIN

The authors would like to thank Puertos del Estado (Spanish Ministry of Public Works), Government of Cantabria and AZTI (Government of Pais Vasco) for providing the buoy data. The work was partially funded by projects "GRACCIE" (CSD2007-00067, CONSOLIDER-INGENIO 2010) from the Spanish Ministry of Science and Technology, "MARUCA" (200800050084091) from the Spanish Ministry of Public Works, "C3E" (E17/08) from the Spanish Ministry of Environment, Rural and Marine Affairs

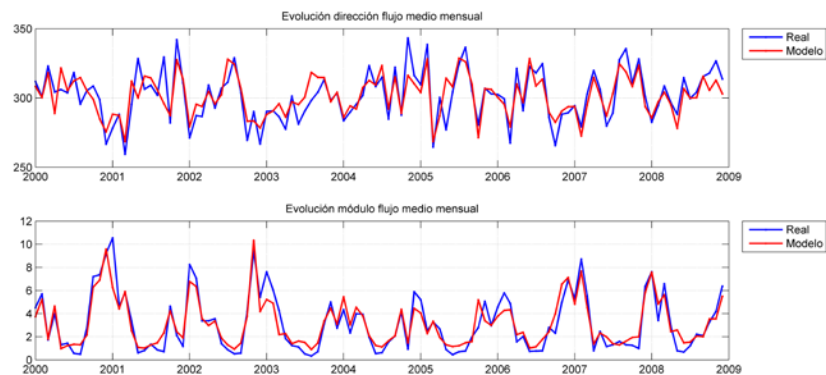
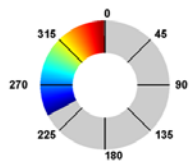
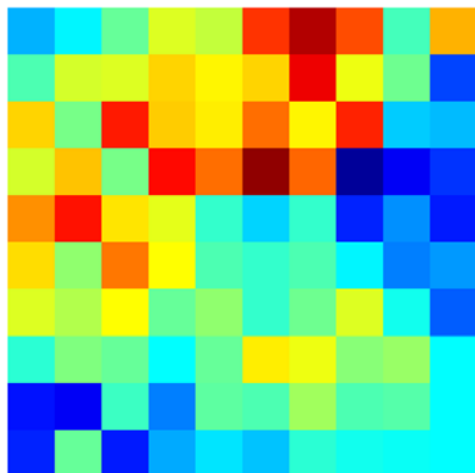
❖ Other applications..



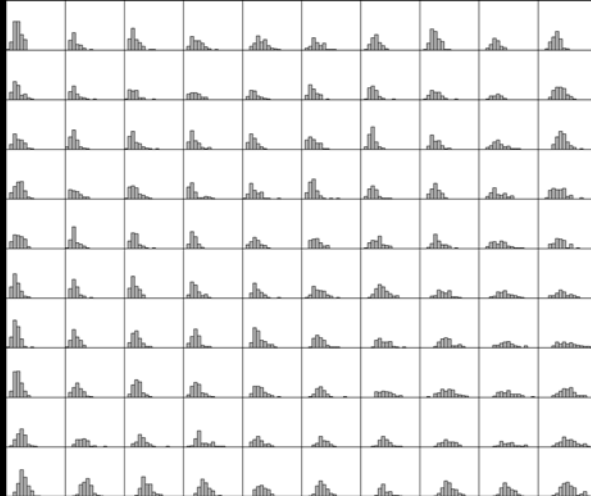
Wave energy flux



Villano. Flujo Energía en indefinidas (1H)



❖ Extreme value model



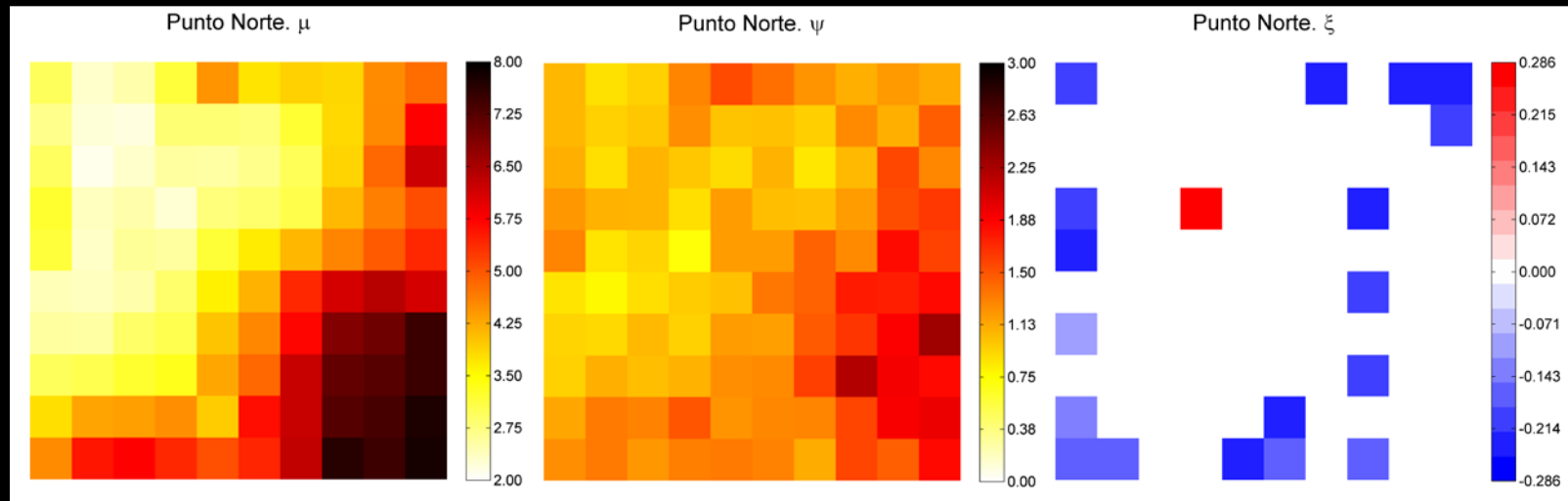
The HsMAX sample of each cell is fitted to a extreme value distribution.

Option a) **GEV**

$$F(x; \theta) = \exp \left\{ - \left[1 + \xi \left(\frac{x - \mu}{\psi} \right) \right]^{-1/\xi} \right\}$$

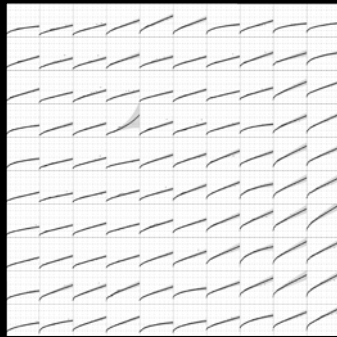
Option b) **Pareto-poisson**

$$F(x; \theta) = 1 - \left(1 + \xi \frac{x}{\sigma} \right)^{-1/\xi}, \quad p(x; \theta) = e^{-\lambda} \frac{\lambda^x}{x!}$$

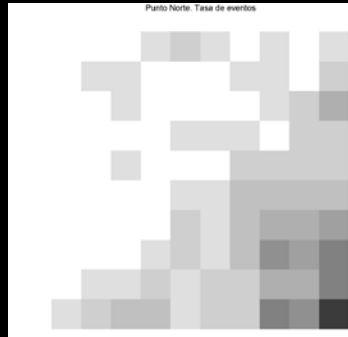


❖ Extreme value model

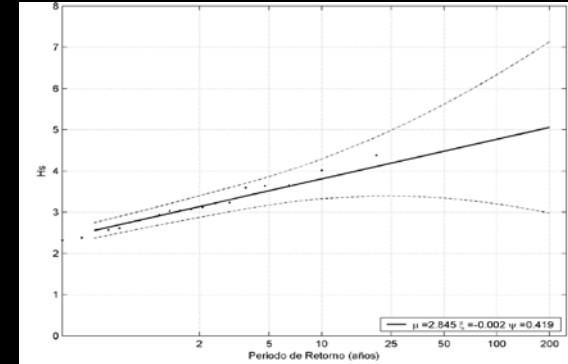
Ndays maxima distribution



+



Total annual maxima distribution



The composed extreme PDF can be obtained:

a) **GEV (annual maxima distribution)**

$$F(H; \mu, \psi, \xi) = \prod_{i=1}^M F_i \left(H; \mu_i, \psi_i, \xi_i \right)^{p_i \frac{365}{\Delta days}}$$

b) **Pareto-poisson**

$$F(H; \nu, \sigma, \xi) = \sum_{i=1}^M \nu_i F_i(H; \nu_i, \sigma_i, \xi_i)$$

Occurrence rate:

$$\nu = \nu_1 + \nu_2 + \dots + \nu_n$$